

With effect from: 2023-24 (R-22)

## VASAVI COLLEGE OF ENGINEERING (AUTONOMOUS)

Accredited by NAAC with A++ Grade

9-5-81, Ibrahimbagh, Hyderabad-500031, Telangana State

### DEPARTMENT OF MATHEMATICS

#### COMPLEX VARIABLES

(OPEN ELECTIVE-I for CSE, CSE-AIML & IT of 2/4 B.E III-Sem)

L:T:P (Hrs./week):2:0:0	SEE Marks :60	Course Code: <b>U220E320MA</b>
Credits : 2	CIE Marks: 40	Duration of SEE: 3 Hrs

COURSE OBJECTIVES	COURSE OUTCOMES
<i>The course will enable the students to :</i>	<i>At the end of the course students should be able to:</i>
<ol style="list-style-type: none"><li><b>Understand</b> the Analytic functions, conditions and harmonic functions.</li><li><b>Evaluate</b> the line integral of a function of a complex variable using Cauchy's integral formula, and how to</li><li><b>Understand</b> the concept of Taylor's and Laurent Series.</li><li><b>Understand</b> the Cauchy's residue theorem.</li></ol>	<ol style="list-style-type: none"><li><b>Apply</b> the condition(s) for a complex variable function to be analytic and/or harmonic and to construct an Analytic function.</li><li><b>Evaluate</b> the complex integrals by Cauchy's theorem and Cauchy's Integral formula.</li><li><b>Identify</b> the singularities of a function and to expand a given function as a Taylor's / Laurent's series.</li><li><b>Evaluate</b> the complex integrals by Cauchy's Residue theorem</li></ol>

#### UNIT – I(8 classes)

##### DIFFERENTIATION OF COMPLEX FUNCTION

Introduction to complex function-Limits and Continuity of function - Differentiability and Analyticity - Necessary & Sufficient Condition for a Function to be Analytic(Cartesian) - Milne-Thompson's method -Harmonic Functions.

#### UNIT – II(6 classes)

##### INTEGRATION OF COMPLEX FUNCTION

Complex Integration- Cauchy's Theorem(with proof) - Cauchy's Integral Formula(with proof) - Evaluation of integrals by Cauchy's Integral formula.

**UNIT – III(6 classes)**  
**SERIES OF COMPLEX FUNCTIONS**

Power series - Taylor's Series - Laurent's Series (without proofs) –Zero and singularities of complex function.

**UNIT – IV(8 classes)**  
**RESIDUES**

Introduction to Residues- Residues at singularities-Cauchy's Residue theorem (without proof) –Evaluation of integrals by Cauchy's Residue theorem.

**Learning Resources:**

1 Advanced Engineering Mathematics 3<sup>rd</sup> Edition, R.K.Jain&S.R.K.Iyengar, Narosa Publishing House.

2 Higher Engineering Mathematics 40<sup>th</sup> Edition Dr. B.S Grewal, Khanna Publishers.

3 A Text book of Engineering Mathematics, N.P.Bali& Manish Goyal, Laxmi Publications.

**Online Resources :**

- 1 <http://mathworld.wolfram.com/topics>
- 2 <http://www.nptel.ac.in/course.php>;

The break-up of CIE : Internal Tests + Assignments + Quizzes

1	No. of Internal Tests	:	2	Max. Marks for each Internal Tests	:	30
2	No. of Assignments	:	2	Max. Marks for each Assignment	:	5
3	No. of Quizzes	:	2	Max. Marks for each Quiz Test	:	5
	Duration of Internal Tests	:	90 Minutes			

  
**Prof.N.Kishan**  
**(OU Nominee)**

  
**Prof.M.A.Srinivas**  
**(Subject Expert-JNTU-H)**

  
**Dr.T.Sudhakar Rao**  
**Chairman, BOS)**

